

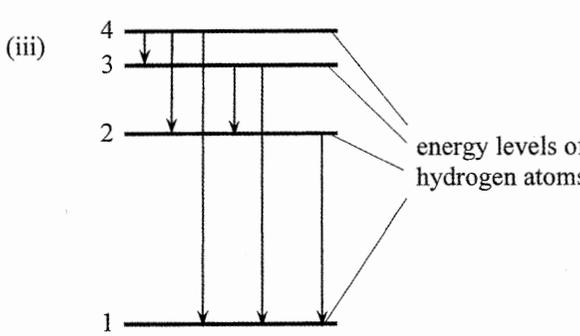
Section A : Astronomy and Space Science

1. A(34%)	2. C(53%)	3. D(57%)	4. B(46%)
5. B(40%)	6. C(60%)	7. A(46%)	8. D(52%)

Solution		Marks	Remarks
1. (a) (i)	radial velocity is the component of the star's velocity along the observer's line of sight / velocity along the observer direction or the line joining the star and the observer.	1A	
		1	
(ii)	Point D	1A	
		1	
(b)	$v_1 = 180 \text{ km s}^{-1}$  $v_1 = \frac{2\pi r_1}{T} = \frac{2\pi r_1}{40 \times 60 \times 60}$ (Period $T = 40 \text{ hr}$ ) $r_1 = 4.125 \times 10^6 \text{ km}$ or $4.125 \times 10^9 \text{ m}$ From figure, $v_2 = 120 \text{ km s}^{-1}$ ; and by ratio or similar calculation gives $r_2 = 2.75 \times 10^6 \text{ km}$ or $2.75 \times 10^9 \text{ m}$	1A	
		1M	
		1A	
		1A	
		4	
(c)	$\frac{Gm_1m_2}{(r_1+r_2)^2} = m_1 \left(\frac{2\pi}{T}\right)^2 r_1 = \frac{m_1 v_1^2}{r_1} \quad [\omega = \frac{2\pi}{T}]$ $\frac{(6.67 \times 10^{-11}) m_2}{(4.125 \times 10^9 + 2.75 \times 10^9)^2} = \frac{(180 \times 10^3)^2}{4.125 \times 10^9}$ Therefore, $m_2 = 5.57 \times 10^{30} \text{ kg}$	1M	
		1A	
		2	
(d)	$\frac{v_r}{c} = \frac{\Delta\lambda}{\lambda} = \frac{0.5 \text{ nm}}{656.28 \text{ nm}} \Rightarrow v_r = 228.3 \text{ km s}^{-1} > 180 \text{ km s}^{-1};$ <div style="border: 1px solid black; padding: 5px; width: fit-content;">                     Or <math display="block">\frac{\Delta\lambda}{\lambda} = \frac{v_r}{c} = \frac{180 \times 10^3}{3 \times 10^8} \Rightarrow \Delta\lambda = 0.394 \text{ nm} &lt; 0.5 \text{ nm};</math> </div> therefore NOT suitable. Accept using $120 \text{ km s}^{-1}$ , $\Delta\lambda = 0.263 \text{ nm} < 0.5 \text{ nm}$	1M	
		1M	
		1A	
		2	

Section B : Atomic World

1. D(40%)	2. A(42%)	3. D(62%)	4. B(66%)
5. C(47%)	6. C(44%)	7. A(42%)	8. B(36%)

Solution	Marks	Remarks
2. (a) - the electron is considered as a particle revolving around the nucleus in definite orbits/circular motion; or - the centripetal force is provided by the Coulomb force; or - the electron's motion obeys Newton's laws of motion	1A	
	1	
(b) lowest energy level <u>or</u> most stable state	1A	
	1	
(c) $p = \frac{h}{\lambda} = \frac{hc}{\lambda} \cdot \frac{1}{c}$ $p = \frac{E}{c}$	1M	
	1A	
	2	
(d) (i) $E_4 = -\frac{13.6}{4^2} = -0.85 \text{ eV},$ $\Delta E_{1 \rightarrow 4} = E_4 - E_1 = -0.85 - (-13.6) = 12.75 \text{ eV}$ $E_5 = -\frac{13.6}{5^2} = -0.544 \text{ eV},$ $\Delta E_{1 \rightarrow 5} = E_5 - E_1 = -0.544 - (-13.6) = 13.056 \text{ eV}$ 12.75 eV < 12.9 eV < 13.06 eV, therefore at most to the 3 <sup>rd</sup> excited state (n = 4).	1M	
<i>Alternatively:</i> $\Delta E = E_n - E_1 = -13.6 \left( \frac{1}{n^2} - \frac{1}{1^2} \right) = 12.9 \text{ eV}$ $n = 4.41$ and as n is an integer, it can at most take n = 4 (3 <sup>rd</sup> excited state).	1M	
	1A	
	2	
(ii) $mvr_n = \frac{nh}{2\pi} \Rightarrow 2\pi r_n = \frac{nh}{mv} = n\lambda$ (from postulate) When n = 4, $2\pi(0.053)(4^2) = 4\lambda$ Therefore, $\lambda = 1.33 \text{ nm}$	1M	
	1A	
<i>Alternatively:</i> $r = (0.053) 4^2 \text{ nm} = 0.848 \text{ nm} = 8.48 \times 10^{-10} \text{ m}$ $\frac{1}{4\pi\epsilon_0} \cdot \frac{e^2}{r^2} = \frac{mv^2}{r} \Rightarrow v^2 = \frac{1}{4\pi\epsilon_0} \cdot \frac{e^2}{r} \cdot \frac{1}{m} = 9 \times 10^9 \times \frac{(1.6 \times 10^{-19})^2}{8.48 \times 10^{-10}} \cdot \frac{1}{9.11 \times 10^{-31}}$ $\Rightarrow v = 5.46 \times 10^5 \text{ ms}^{-1}$ $\lambda = \frac{h}{mv} = \frac{6.63 \times 10^{-34}}{(9.11 \times 10^{-31})(5.46 \times 10^5)} = 1.33 \times 10^{-9} \text{ m} = 1.33 \text{ nm}$	1M	
	1A	
	2	
(iii) 	2A	
	2	

Section C : Energy and Use of Energy

1. A(33%)	2. D(50%)	3. B(67%)	4. C(21%)
5. B(28%)	6. C(28%)	7. C(47%)	8. A(32%)

Solution	Marks	Remarks
3. (a) (i) Time required = $\frac{\text{heat to remove } (mc\Delta T)}{\text{cooling capacity}}$ $= \frac{[(20.0 \times 3.0) \times 1.2] \times 1000 \times (33 - 25)}{6.80 \times 1000}$ $= \frac{576000}{6800} = 85 \text{ s (1.42 min. or 0.0236 hr)}$	1M  1A  2	
(ii) <b>ANY ONE:</b> Heat has to be removed from wall, furniture etc. / Heat transferred from outside to the room has to be removed / Other reasonable factors such as bad air ventilation for air-conditioner / Doors or windows are not closed properly / Installation position is facing west or exposed to sunlight directly, etc. / Heat gain from surroundings / Poor conductor (air) lengthens the time for heat transfer	1A  1	
(b) (i) $P_{in} = \frac{2525}{1200} = 2.1 \text{ (kW) or } 2100 \text{ W}$	1A  1	
(ii) $\frac{\text{cooling capacity}}{\text{electrical power input}} \text{ (COP)} = \frac{6.80}{2.1} = 3.24$ Conservation of energy is not violated. For each joule of electrical energy consumed by the air-conditioner/compressor, 3.24 J of heat will be transferred/removed, but not created, by the air-conditioner.	1M/1A  1A  1A  3	
(c) (i) $(C \rightarrow) B \rightarrow A \rightarrow D$ component B ( <u>or</u> condenser)	1A 1A  2	
(ii) reverse the direction of flow of refrigerant  <div style="border: 1px solid black; padding: 5px; display: inline-block;">Or interchange/swap the positions of B (condenser) and D (evaporator) or A (expansion valve) and C (compressor)</div>	1A    1	

Section D : Medical Physics

1. B(47%)	2. D(45%)	3. D(26%)	4. D(29%)
5. B(64%)	6. C(58%)	7. A(50%)	8. A(60%)

Solution	Marks	Remarks
4. (a) (i) A: eardrum B: semi-circular canals C: cochlea D: oval window  C (cochlea) is for discriminating different frequencies of incoming sound waves / convert sound waves to nerve signals / auditory sensor cells inside send signals to brain.	1A  1A	
	2	
(ii) $25 \div 20 = 1.25$ (i.e. 25% increase)	1M/1A	
	1	
(b) (i) 60 (phons) The ear is less sensitive (compared to 1~2 kHz frequency) to sound of low or high frequencies / more sensitive to middle frequencies / need a higher sound intensity to give the same loudness at high and low frequencies.	1A  1A	
	2	
(ii) Curve C. Curve shifted upwards such that a greater intensity level for threshold of hearing (or giving the same loudness sensation), especially significant in kHz range.	1A  1A	
	2	
(c) Change in sound intensity level  $L_1 = 10 \log \frac{80}{I_0}$ $L_2 = 10 \log \frac{2.5 \times 10^{-5}}{I_0}$ $L_2 - L_1 = 10 \log \frac{80}{2.5 \times 10^{-5}}$ $= -65 \text{ (dB)}$	1M   1M  1A	Accept $\pm 65$ dB
Alternatively: Assume $I_0 = 10^{-12} \text{ W m}^{-2}$ $L_1 = 10 \log \frac{80}{10^{-12}} = 139.03 \text{ dB}$ $L_2 = 10 \log \frac{2.5 \times 10^{-5}}{10^{-12}} = 74.03 \text{ dB}$ $L_2 - L_1 = -65 \text{ (dB)}$ Or $10 \log \left( \frac{I_{\text{noise reduced}}}{I_{\text{original}}} \right)$ $= 10 \log \left( \frac{2.5 \times 10^{-5}}{80} \right)$ $= -65 \text{ dB}$ $\therefore$ reduced by 65 (dB)	1M   1M+1A  2M  1A	
	3	